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FOM 12 CHAPTER 6

Practice Test 2022 Edited



- 1 Determine the **location of the turning point** and range of this polynomial function [ZStandard]
- $f(x) = -x^2 - 3x - 1$
- Handwritten notes: $f(x) = -x^2 - 3x - 1$ with coefficients circled. A graph shows a downward-opening parabola with a turning point labeled 'Turning Pt (max)' at $(-1.5, 1.25)$. The range is given as $Y \leq 1.25$ max.
- 3 Determine the following characteristics of the polynomial function $j(x) = x^3 - 2x^2 + 3$. [ZStandard] Show your work.
- Handwritten notes: 'Ratio: ROOT', 'T: 83/84: Zero', '2nd Cal → 2: Zero'. Characteristics listed:
 - one number of x-intercepts, X-int: $X = -1$
 - y-intercept **Value X=0**, $Y = 3$
 - end behaviour $Q3 \rightarrow Q1$
 - domain $X \in \mathbb{R}$
 - range $Y \in \mathbb{R}$
 - location of turning points **max** $(0, 3)$
 - min** $(1.33, 1.81)$
 A small graph shows a cubic curve with a local maximum and a local minimum.
- 4 Determine the following characteristics of the polynomial function $f(x) = 2(x-1)(x^2-4)$. [ZStandard] Show your work.
- Handwritten notes: $X_1 = -2$, $X_2 = 1$, $X_3 = 2$. Characteristics listed:
 - 3 number of possible x-intercepts
 - y-intercept **Y=8**
 - end behaviour $QIII \rightarrow QI$
 - domain $X \in \mathbb{R}$
 - range $Y \in \mathbb{R}$
 - ~~number of possible turning points~~ **max/min**
 - max**: $(0.87, 12.1)$
 - min**: $(1.54, -1.76)$
 A graph shows a coordinate plane with a box labeled 'Window' containing the axes and a yellow circle around the y-axis labeled 'Ymax'.
- 5 The growth of a tree can be modelled by the function $h(t) = 2.3t - 0.45$ where h represents the height in meters and t represents the time in years. Approximately how long will it take the tree to grow 32 m tall?
- Handwritten notes: $Y_{max} = 50$, $X_{max} = 30$. 'time $\Rightarrow X = ?$ ', 'height $Y = 32$ ', $Y_2 = 32$, $X = 14.1$ yr? (Intersect). A 'Window' box is also present.
- 6 Determine the equation of the quadratic regression function for the data.
- | | | | | | | | | |
|---|----|----|----|----|----|----|----|----|
| x | -6 | -3 | -1 | 1 | 1 | 3 | 5 | 8 |
| y | 35 | 46 | 50 | 53 | 51 | 47 | 36 | 11 |
- Handwritten equation: $Y = -0.58X^2 - 0.39X + 52.11$

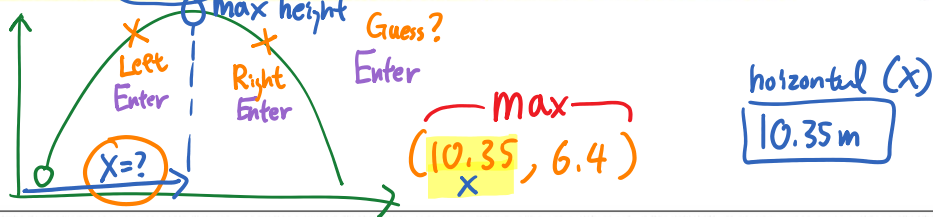
7

The path of a shot put thrown at a track and field meet is modelled by the quadratic function

$$h(d) = -0.048(d^2 - 20.7d - 26.28)$$

where h is the height in metres and d is the horizontal distance in metres.

What is the horizontal distance when the shot put is at its maximum height?



8

A farming cooperative collected data showing the effect of different amounts of fertilizer, x , in hundreds of kilograms per hectare (kg/ha), on the yield of beets, y , in tonnes (t). Use the data below and quadratic regression to compare the possible yields of beets when the amount of fertilizer used is 1.50 kg/ha and 1.75 kg/ha. Show your work.

$$y = -0.38x^2 + 1.219x + 0.215$$

Fertilizer (kg/ha)	0	0.25	0.50	0.75	1.00	1.25
Yield (t)	0.22	0.49	0.74	0.92	1.05	1.15

$$x_1 = 1.5 \quad y_1 = 1.191$$

$$x_2 = 1.75 \quad y_2 = 1.187$$

9

Shane tracked the depth of the water at an ocean marina one afternoon. His data is summarized in the table below.

Time after 12 pm : L1 0 1 2 3 4 6 7

Time of Day	12:00	13:00	14:00	15:00	16:00	18:00	19:00
Depth (ft)	12.3	12.7	13.3	13.8	14.3	14.6	14.3

L2

Zoom → q: zoom stat

a) Determine the equation for the cubic regression function that models this data. Let x be the number of hours since 12:00 and y be the depth in feet.

$$\text{Cubic Reg } L_1, L_2, Y_1 \quad y = -0.0151x^3 + 0.0947x^2 + 0.361x + 12.29$$

b) Interpolate the depth of the water at 17:00. Show your work.

$$y = ? \text{ (value)} \quad x = 5 \text{ hrs after 12 pm}$$

$$\hookrightarrow \text{depth} = 14.58 \text{ m}$$

c) what is the depth of water at 10:30 that morning.

$$y = 12.01 \text{ m?} \quad x = -1.5 \text{ Think } \leftarrow 1.5 \text{ hr before 12 pm}$$